

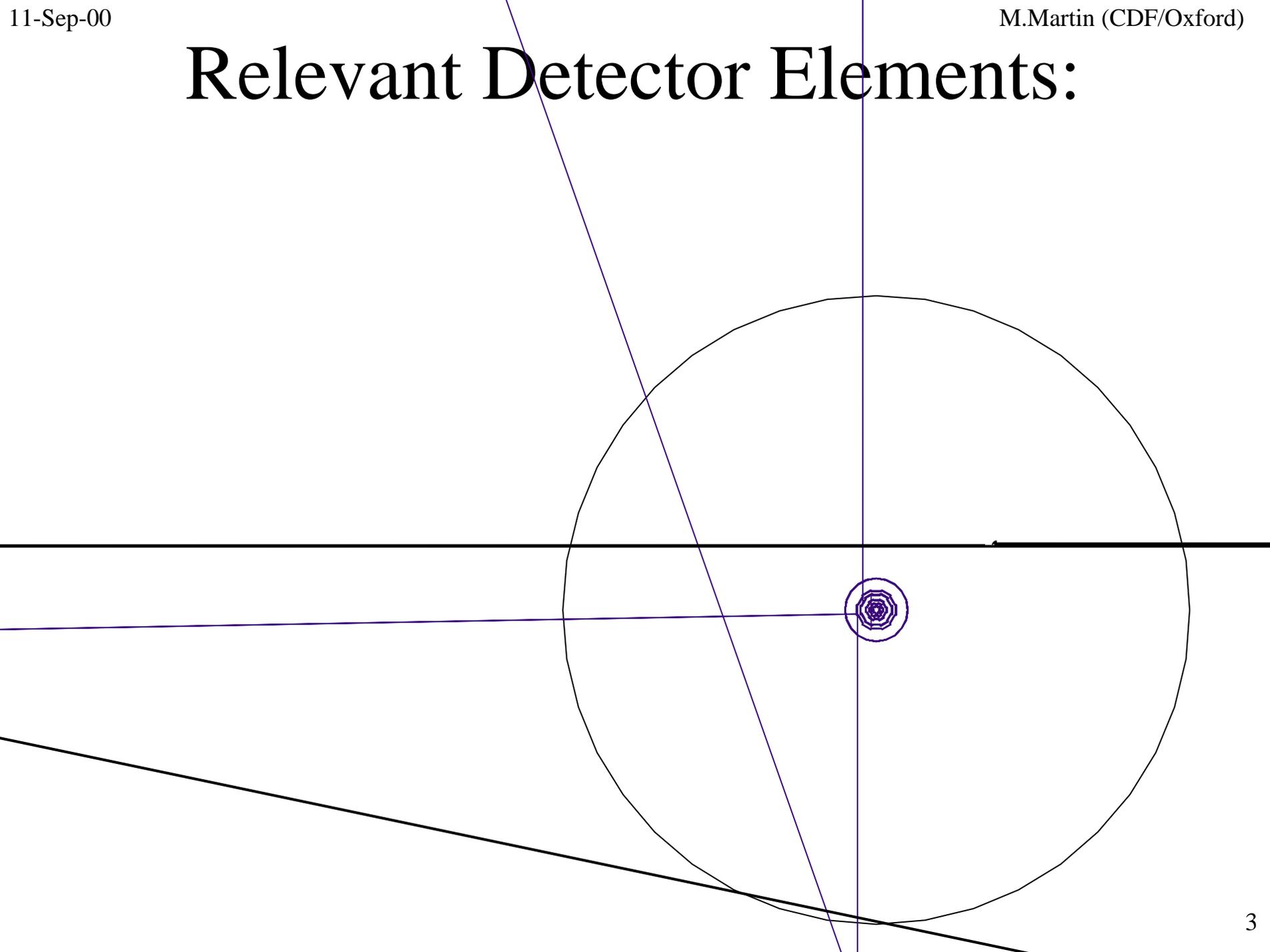
# CDF Run II Prospects for $B_s$ mixing

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# Relevant Detector Elements:

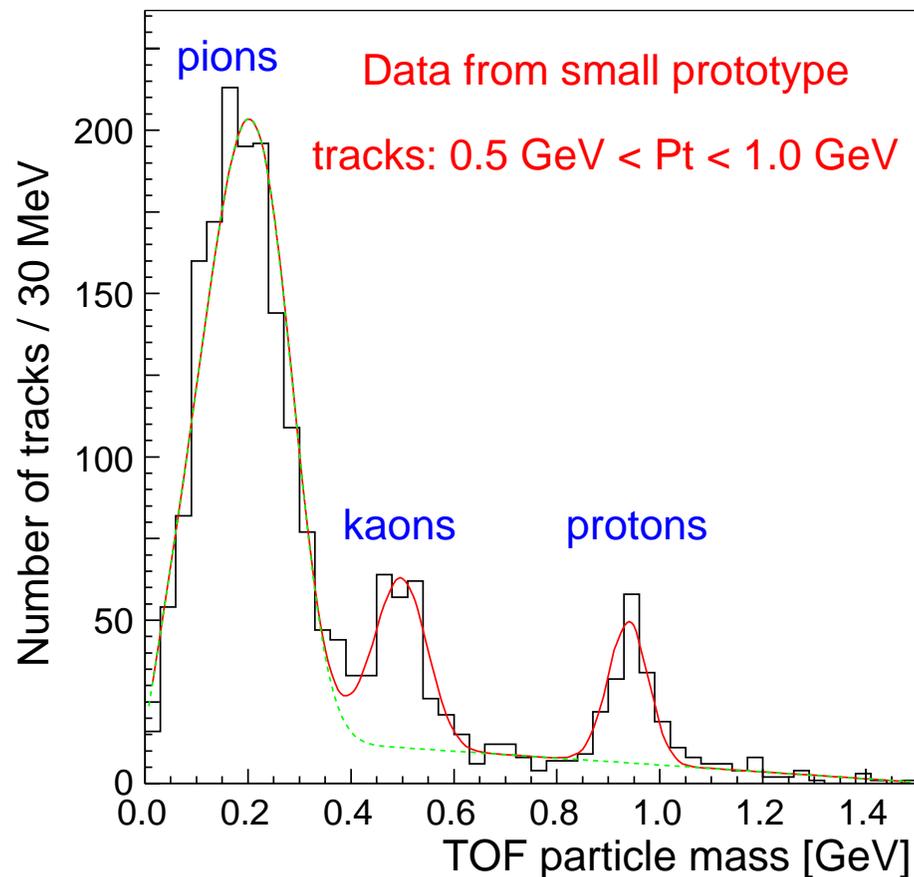


# Time of Flight (TOF):

Particle Identification (For  $B_s$  mixing: especially Kaons)

TOF:

- 216 bars of Scintillator
- Radius: 138 cm
- Each read out both ends by PMT's
- Expected ave resolution: 100 psec

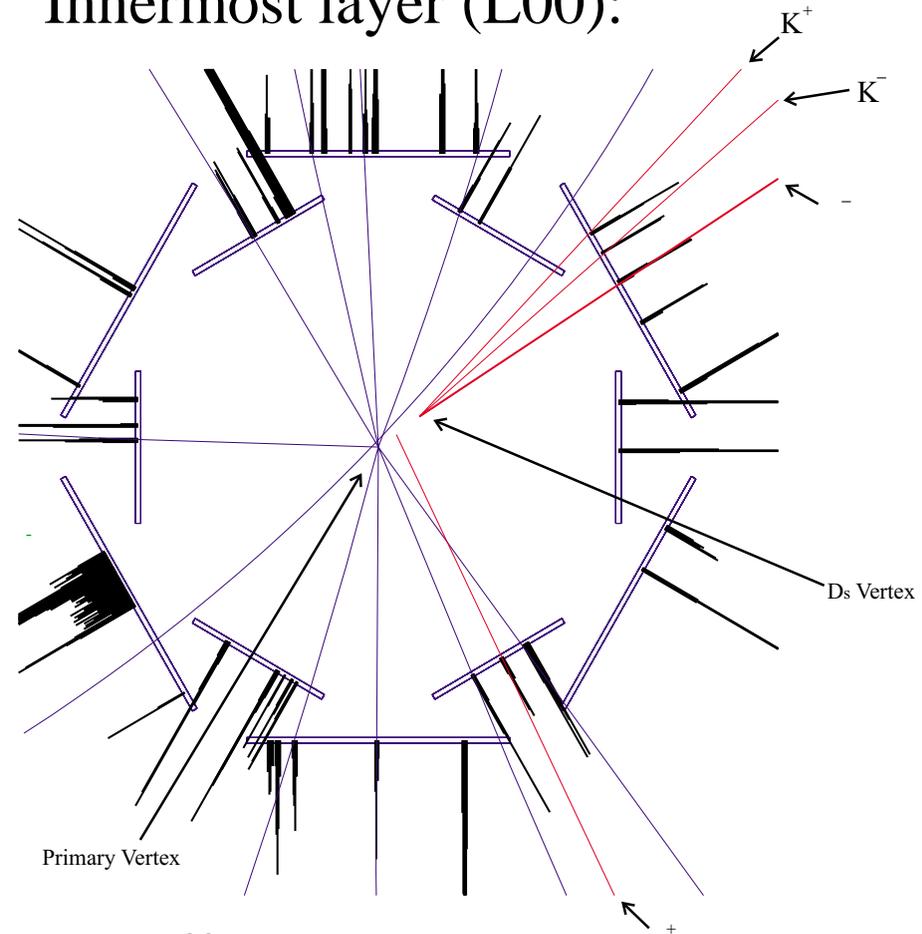
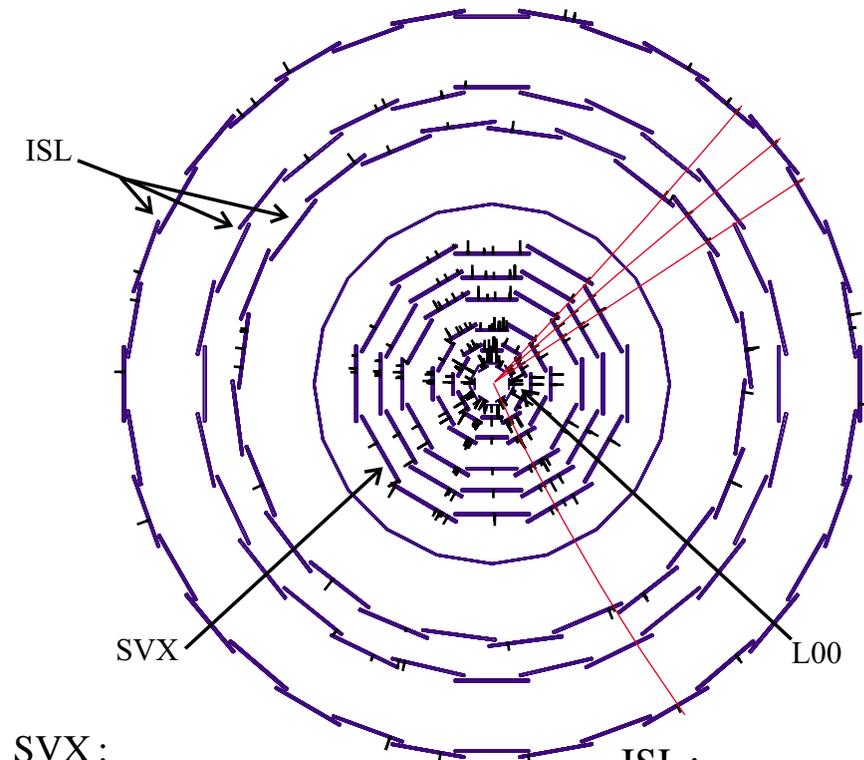


# Zooming in...

Same MC event (one  $p\bar{p}$  interaction):

Silicon System:

Innermost layer (L00):



SVX:

$$2.54 < r < 10.64 \text{ cm}$$

$$|z| = 43.5 \text{ cm}$$

$$|\eta| < 2.0$$

$$\sigma_\phi < 30 \mu\text{m}, \sigma_z < 60 \mu\text{m}$$

(for central high mom tracks)

ISL:

$$20 < r < 30 \text{ cm}$$

$$|z| = 65 \text{ cm (inner layer)}$$

$$|z| = 87.5 \text{ cm (outer layer)}$$

$$|\eta| < 1.9$$

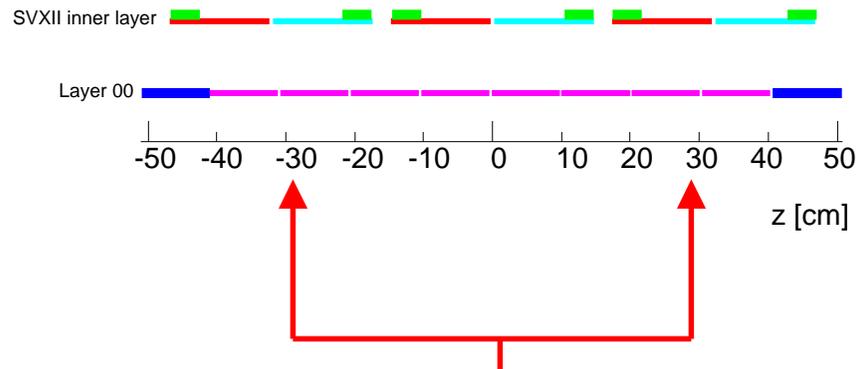
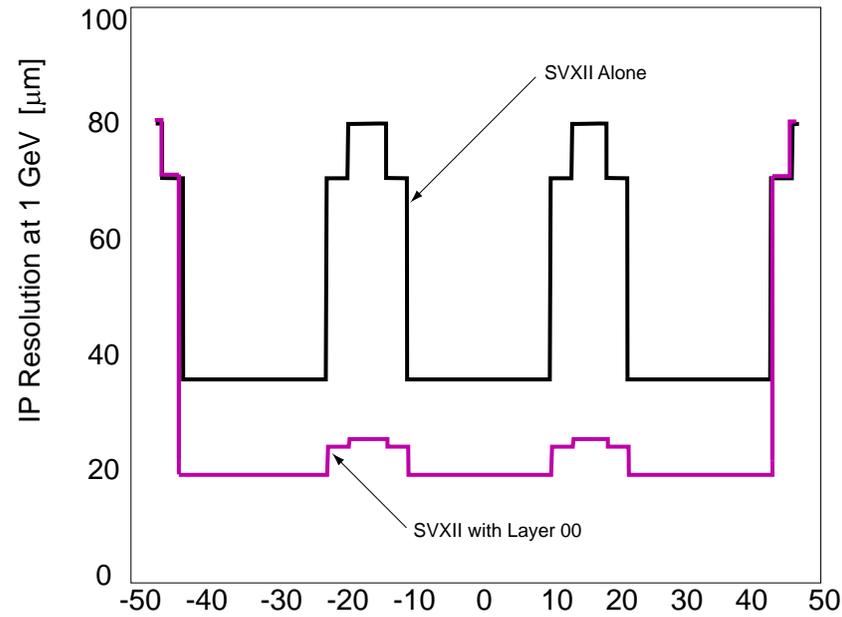
L00:

$$r_{\text{narrow}} = 1.35 \text{ cm}, r_{\text{wide}} = 1.62 \text{ cm}$$

$$|z| \approx 6 \times 7.84 = 47.04 \text{ cm}$$

$$|\eta| < 4$$

# Importance of L00:



$1\sigma$  of luminous region (30cm)

# Run II at CDF:

- CM Energy from 1.8 Tev to 2.0 Tev
- Significant Luminosity upgrade (  $2 fb^{-1}$  expected in first 2 years.)

Scenario	$T_{bunch}$ (ns)	$L$ ( $\times 10^{32} cm^{-2} s^{-1}$ )	$\langle N_{p\bar{p}} \rangle$
A	396	0.7	2
B	132	2.0	2
C	396	1.7	5

- Significant detector upgrades (as described).
- Status of Tracking and TOF:
  - Central Outer Tracker:
    - Physical detector installed. Calibration soon.
  - SVX (main silicon detector) and ISL (Intermediate Silicon Layers):
    - Ladder assembly complete for SVXII, at 80% for ISL
    - 2 of 3 barrels are complete for SVXII. Ladder mounting on the frames is underway for ISL
  - L00 (inner layer of silicon):
    - On target for Oct 3rd completion.
  - TOF:
    - Mechanical Installation complete.

# B<sub>s</sub> Mixing: A brief reminder

$$\left. \begin{aligned} |B_s, L\rangle &= p|B_s\rangle + q|\overline{B_s}\rangle \\ |B_s, H\rangle &= p|B_s\rangle - q|\overline{B_s}\rangle \end{aligned} \right\} |B_s\rangle, |\overline{B_s}\rangle \text{ strong interaction eigenstates}$$

$|B_s, L\rangle, |B_s, H\rangle$  are what decay (L=light, H=heavy).

$$\begin{aligned} |B_s, L\rangle(t) &= e^{-\Gamma_L t - iM_L t} |B_s, L\rangle \\ |B_s, H\rangle(t) &= e^{-\Gamma_H t - iM_H t} |B_s, H\rangle \end{aligned} \quad \left( \begin{aligned} \Delta M &= M_H - M_L \\ x_s &= -\frac{\mathbf{M}}{\Gamma}, \Gamma = \frac{\Gamma_H + \Gamma_L}{2} \end{aligned} \right)$$

So a particle which is initially a B<sub>s</sub> has a time evolution:

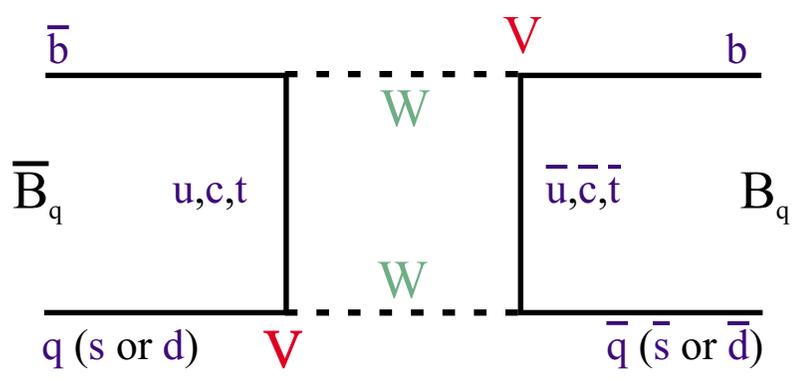
$$|\Psi\rangle(t) = \left( \frac{1}{2p} \right) \left[ e^{-\Gamma_L t - iM_L t} |B, L\rangle + e^{-\Gamma_H t - iM_H t} |B, H\rangle \right]$$

and since  $\begin{cases} M_H \neq M_L \\ \Gamma_H \neq \Gamma_L \end{cases}$

$$|\Psi\rangle(t) = f(t)|B_s\rangle + g(t)|\overline{B_s}\rangle \quad \text{where} \quad \begin{cases} g(t) \neq 0 \text{ for } t > 0 \\ f(t) = 1 \text{ for } t = 0 \end{cases}$$

→  $x_s$  is what we want to measure.

A Box Diagram for Neutral B Mixing



$V$  are CKM Matrix elements, eg  $V_{ts}$  or  $V_{td}$  for B<sub>s</sub> and B<sub>d</sub> respectively.

# The importance of $\chi_s$

- Important goal: Measure CPV in the interference between decays, with and without mixing.

(Clean theoretical interpretation for some modes)

- But the time dependent asymmetry modulated by mixing:

Given 2 time evolving neutral B states which start out as  $B$  and  $\bar{B}$  respectively, compare their rates to a given CP eigenstate:

$$\frac{\Gamma(\bar{B}^0_{phys}(t) \rightarrow f_{CP}) - \Gamma(B^0_{phys}(t) \rightarrow f_{CP})}{\Gamma(\bar{B}^0_{phys}(t) \rightarrow f_{CP}) + \Gamma(B^0_{phys}(t) \rightarrow f_{CP})} = \text{Im}(\lambda_{f_{CP}}) \sin(\Delta m_B t)$$

- Without being able to resolve Mixing, a measurement of this asymmetry in the  $B_s$  sector will be nearly impossible.
- also.....

# $x_s$ in the Standard model and beyond:

- The Standard Model does not easily allow  $x_s \gtrsim 30$

So could see new physics here (eg  $x_s \gg 30$ )

- However, in the ratio  $\frac{\Delta\Gamma_s}{x_s}$  some theoretically uncertain quantities cancel. So in conjunction with a measurement of  $\Delta\Gamma_s$  could provide cleaner evidence of new physics.
- A measurement of  $x_s$  would help to constrain the elements of the CKM matrix.

# Reminder of what we measure:

- Note: Ignoring CPV, but expected to be negligibly small.

- What is measured: 
$$A_{(mixed)}(t) = \frac{N_{unmixed}(t) - N_{mixed}(t)}{N_{unmixed}(t) + N_{mixed}(t)}$$

- So must tag the initial flavour of the B:

- Same side tagging: Fragmentation Kaon.

- Opposite side tagging: Semileptonic Decay, Jet Charge, Kaon Charge Asymmetry

- Don't get it right all the time. Parameterise this by Dilution: 
$$D = \frac{N_R - N_W}{N_R + N_W}$$

Where  $N_R$  ( $N_W$ ) is number of correct (incorrect) tags.

- Related to mistag rate:  $D = 1 - 2w$

(eg if out of 100 events we tag 60 right and 40 wrong,  $D = 0.2$ ,  $w = 0.4$  )

- Tagging efficiency  $\mathcal{E}$  is defined as the fraction of signal for which we could calculate a tagging quantity.

# The significance of a measurement:

- In order to find  $x_s$  fit the measured asymmetry to:

$$a(t) = A \cos\left(\frac{x_s t}{\tau}\right) \quad (\text{by minimizing a log-likelihood quantity}).$$

- The significance, in *equivalent standard deviations* can be expressed:

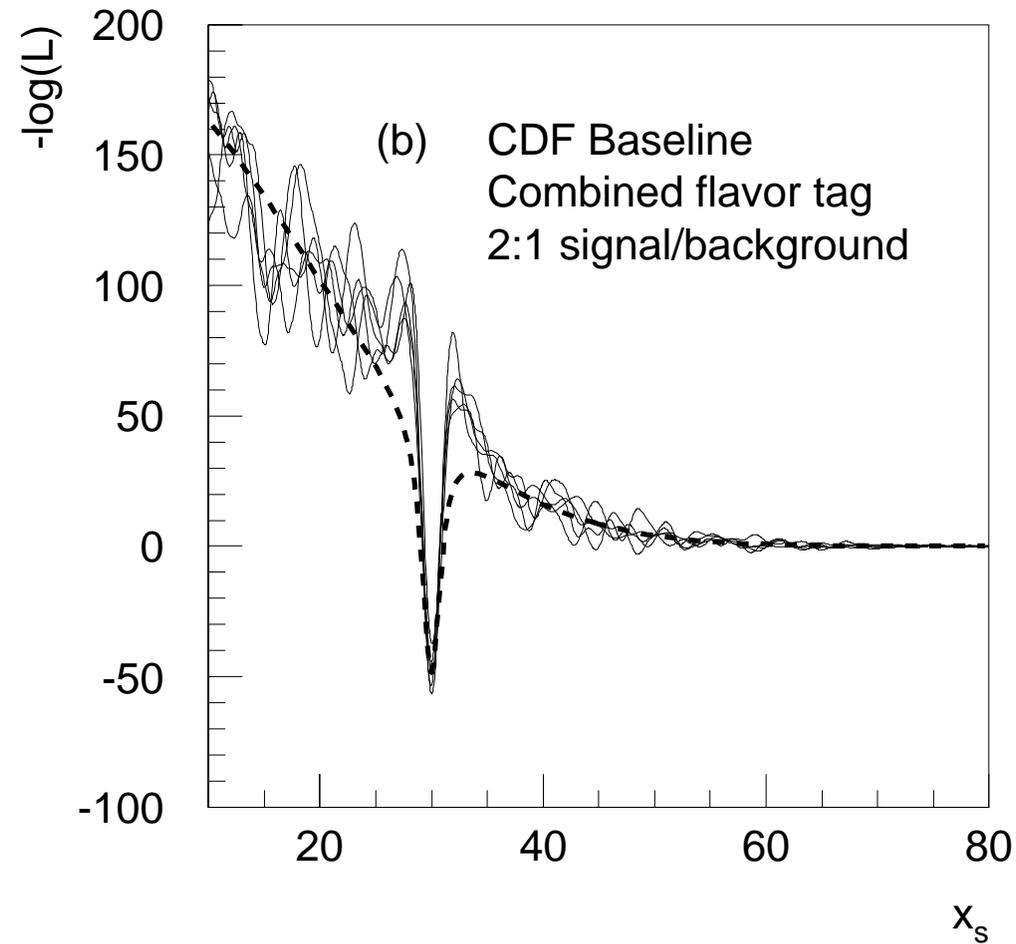
$$Sig = \sqrt{(2 \times \Delta \log[L])}$$

where  $\Delta \log[L]$  is the depth of the minimum compared to the next-to-deepest minimum.

- This can be expressed analytically:

$$Sig(x_s) = \sqrt{\frac{N \epsilon D^2}{2}} \exp\left(\frac{[-x_s \sigma_{ct}]^2}{2}\right) \sqrt{\frac{S}{1+S}}$$

# CDF baseline Likelihood function:



# Semileptonic modes:

- Look in:  $B_s \rightarrow l\nu D_s$   
 $B_s \rightarrow l\nu D_s^*$
- Proper time resolution worse than  $B_s \rightarrow D_s^- \pi^+$
- Expect  $N \approx 40,000$  semileptonic sample size
- Extrapolating from Run I data, expect to be able to measure  $x_s \approx 30$  from semileptonics alone.

# Fully Hadronic Modes:

- Look for fully reconstructed  $B_s$  decays: minimise  $\sigma_{ct}$
- Requires triggering on hadrons: a challenge at a hadron machine.  
Use an extremely fast hardware impact parameter trigger

(has to be able to cope with an input rate  $\approx 20 \text{ kHz}$  )

$$B_s \rightarrow D_s^- \pi^+ \text{ where } \begin{cases} D_s^- \rightarrow \phi \pi^- \\ \phi \rightarrow K^+ K^- \end{cases}$$

$$B_s \rightarrow D_s^- \pi^+ \pi^- \pi^+ \text{ where } \begin{cases} D_s^- \rightarrow \phi \pi^- \\ \phi \rightarrow K^+ K^- \end{cases}$$

$$B_s \rightarrow D_s^{*-} \pi^+ \text{ where } \begin{cases} D_s^{*-} \rightarrow D_s^- \gamma \\ D_s^- \rightarrow \phi \pi^- \\ \phi \rightarrow K^+ K^- \end{cases}$$

- Seek to reconstruct other modes of the Ds

# Assumptions behind prediction:

- Only consider fully reconstructable modes

- Predictions take into account:

- Expected Luminosity
- Expected occupancy

- Tagging power:  $\epsilon D^2 = \begin{cases} 5.7\% & \text{without TOF} \\ 11.3\% & \text{with TOF} \end{cases}$

- Proper time resolution:  $\sigma_{ct} = \begin{cases} 60 \text{ fs} & \text{without Layer 00} \\ 45 \text{ fs} & \text{with Layer 00} \end{cases}$

- Number of fully reconstructed  $B_s$  events  $\approx 20000$

Senario	$T_{bunch} (ns)$	$L$ ( $\times 10^{32} cm^{-2} s^{-1}$ )	$\langle N_{p\bar{p}} \rangle$
A	396	0.7	2
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C	396	1.7	5

Mode	A	B	C
$B_s \rightarrow D_s^- \pi^+$	10600	8400	7200
$B_s \rightarrow D_s^- \pi^+ \pi^- \pi^+$	12800	10400	8100
$B_s \rightarrow D_s^{*-} \pi^+$	9400	7400	5800

- $2fb^{-1}$  in the first 2 years of running.

# The Prediction.

Maximum values of  $x_s$  for which a  $5\sigma$  observation is possible:

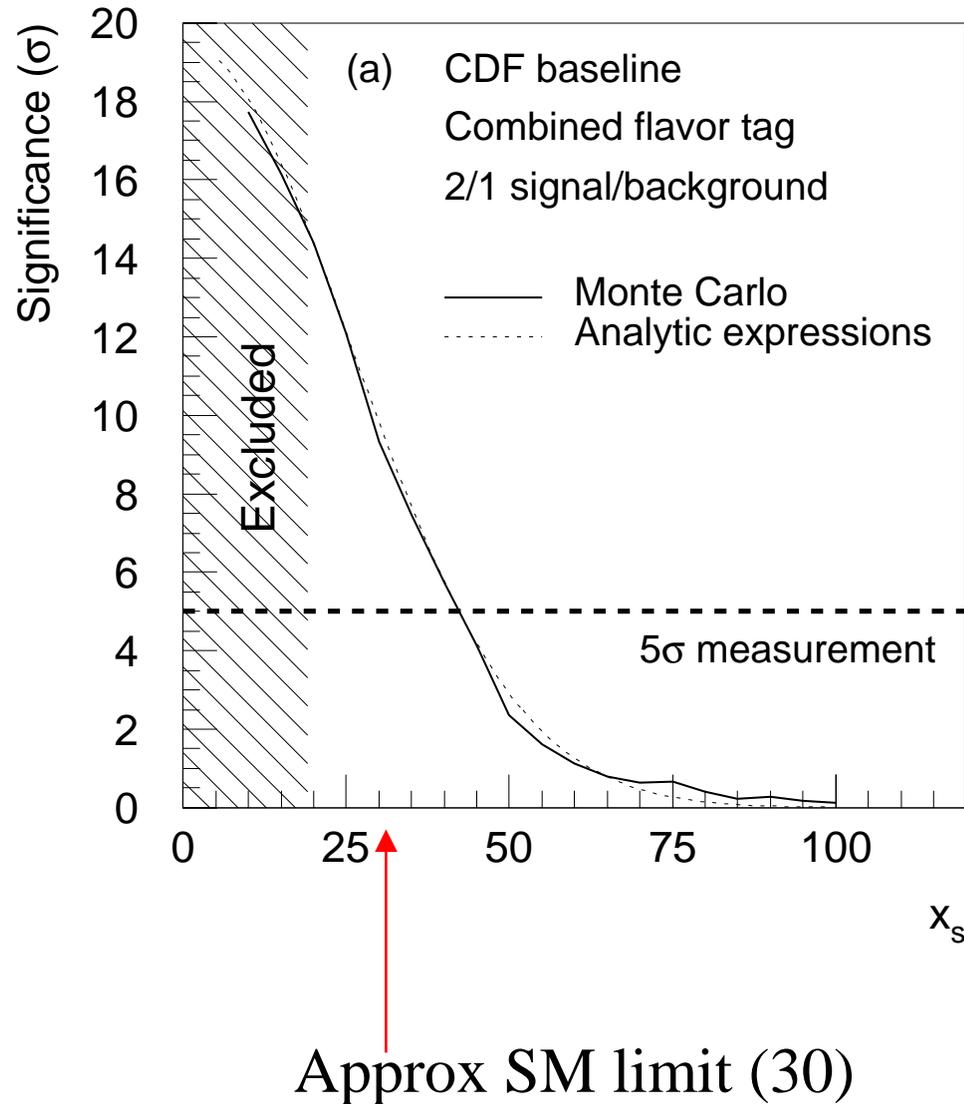
N(Bs)	S/B=2:1		S/B=1:2	
	Baseline	TOF+L00	Baseline	TOF+L00
5000	30	49	21	39
10000	37	56	30	49
20000	42	63	37	56
30000	45	67	40	60

Minimum values of signal-to-background ratio for which a  $5\sigma$  observation is possible:

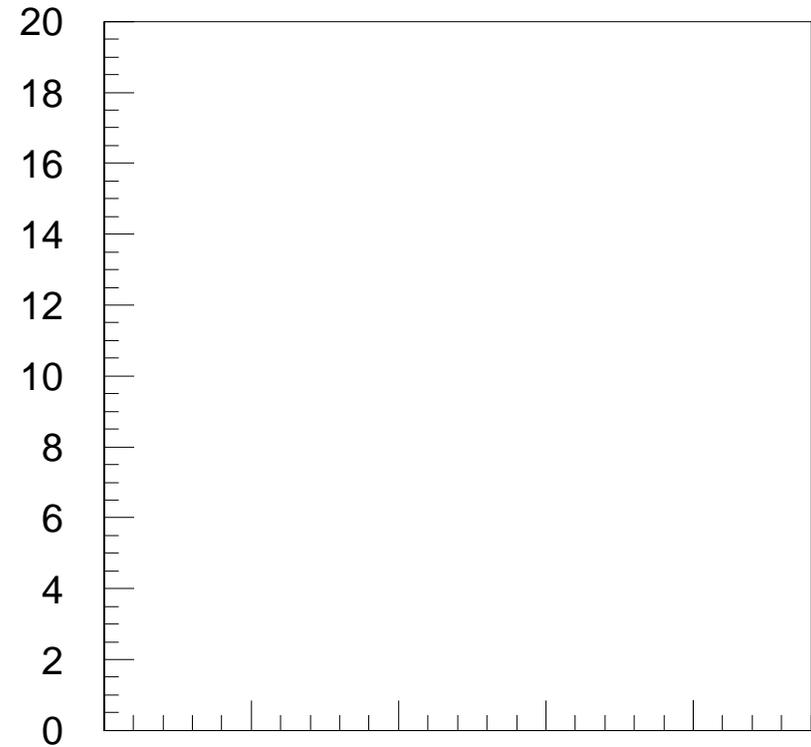
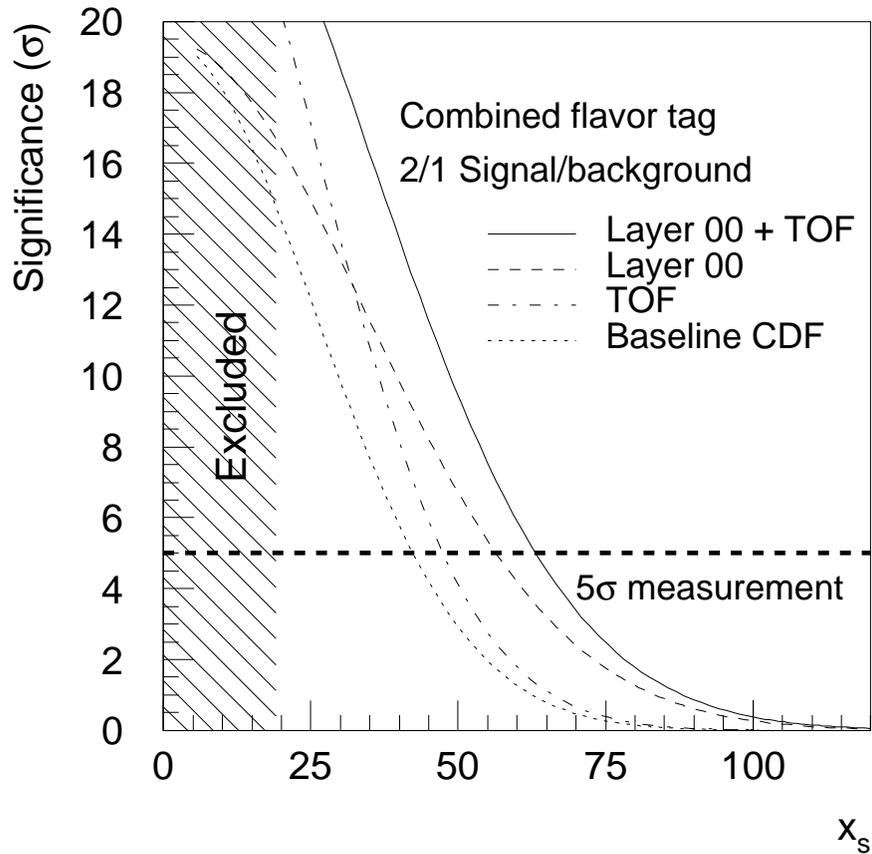
N(Bs)	$x_s=30$		$x_s=40$	
	Baseline	TOF+L00	Baseline	TOF+L00
5000	2.20	0.24	-	0.53
10000	0.52	0.11	-	0.21
20000	0.21	0.05	0.99	0.10
30000	0.13	0.03	0.50	0.06

$$\text{Sig}(x_s) = \sqrt{\frac{N\epsilon D^2}{2}} \exp\left(\frac{[-x_s \sigma_{ct}]^2}{2}\right) \sqrt{\frac{S}{1+S}}$$

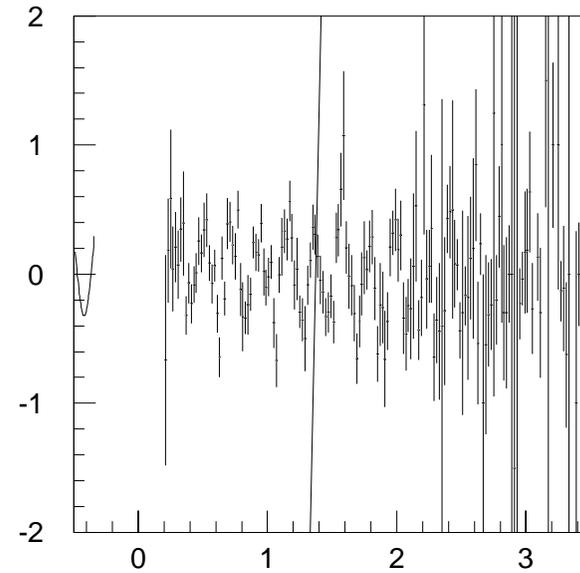
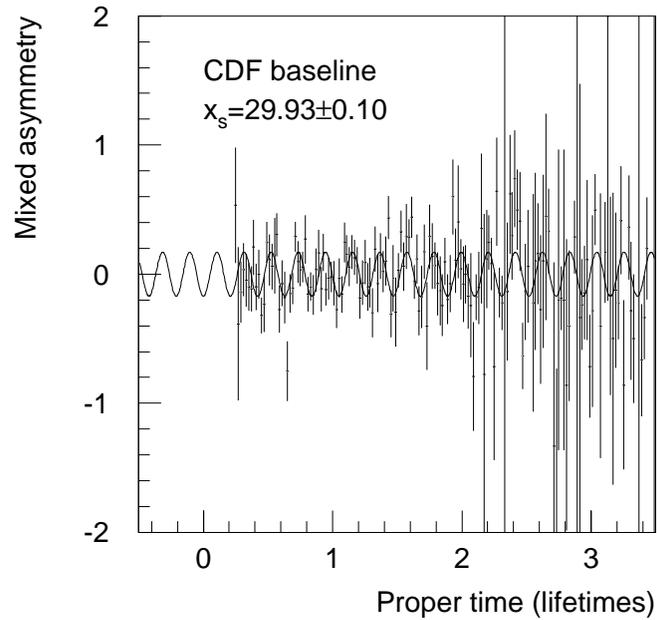
# CDF baseline $5\sigma$ Mixing Reach:



# Beyond the baseline reach:



# More intuitive picture:



# Conclusions

- SM prediction:  $x_s \lesssim 30$
- With TOF and Layer 00:
  - Even for pessimistic sample size, SM prediction well within reach.
  - Even for pessimistic signal to background ratio, SM prediction well within reach.